



Fluid Mechanics and Machinery Units & Dimensions, Properties of fluids – mass density - specific weight- specific volume - Specific gravity

FLUID MECHANICS AND MACHINERY
UNIT-I

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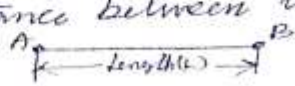
UNITS AND DIMENSIONS

besbm

Dimension is a name which describes the measurable qualities or characteristics of an object such as mass, length, time and temperature etc.

A unit is an accepted standard for measuring the dimension or quality.

Example:

Consider distance between two points
in that 

Dimension - Length indicates - Qualitative concept of physical quantity

Unit - indicates magnitude of the distance - Quantitative concept

Finally length in meter or miles

Four fundamental dimensions are:

1. Mass (M) - Kilogram - Kg
2. Length (L) - Length - m
3. Time (T) - Time - s
4. Temperature (θ) - Kelvin (or) Celsius K, °C.

Based on Fundamental units, number of derived units are developed

Example:

$$\begin{aligned} 1. \text{ Density} &= \text{mass per unit volume} \\ &= \text{kg/m}^3 \\ &= \text{ML}^{-3} \Rightarrow \text{in fundamental unit} \end{aligned}$$

Newton:

$$\begin{aligned} \text{Force} &= \text{mass} \times \text{acceleration} \\ &= \text{kg} \times \text{m/s}^2 \\ &= \text{N}. \end{aligned}$$

Pressure:

$$\begin{aligned} \text{Pressure} &= \text{force per unit area} \\ \text{SI units} \Rightarrow &= \frac{\text{N}}{\text{m}^2} \\ &= \text{pascal (or) Pa}. \end{aligned}$$

Since, it is very small, the unit is General practice world wide is bar.

$$\begin{aligned} 1 \text{ bar} &= 10^5 \text{ Pa} & \because 1 \text{ Pa} &= 1 \text{ N/m}^2 \\ &= 100 \text{ kPa} & 1 \text{ bar} &= 10^5 \text{ (N/m}^2) \end{aligned}$$

$$1 \text{ bar} = 0.1 \text{ MPa}$$

in standard atmosphere

$$1 \text{ atm} = 101.325 \text{ kPa} = 1.01325 \text{ bar}$$

• Joule

$$\begin{aligned} \text{Work} &= \text{Force} \times \text{distance} \\ &= \text{newton} \times \text{metre} \\ &= \text{Nm} \\ &= \text{J or joule} \end{aligned}$$

• watt

$$\begin{aligned} \text{Power} &= \frac{\text{J}}{\text{s}} \\ &= \text{W} \end{aligned}$$

	Derived Unit	Dimensions	SI units
1. Area		L^2	m^2
2. Volume		L^3	m^3
3. Velocity		LT^{-1}	m/s
4. Acceleration		LT^{-2}	m/s^2
5. Force		MLT^{-2}	N
6. Pressure		$ML^{-1}T^{-2}$	N/m^2 (or) Pascal.

Specific weight (w) of a fluid is its weight per unit volume $w = \frac{W}{V}$ $\frac{N}{m^3}$
 $w = \frac{m \times g}{V} = \rho \cdot g$ $w = \rho \cdot g$

Density (ρ) Mass per unit volume $\rho = \frac{m}{V}$

Specific gravity (s) Ratio of specific weight of a fluid to the specific weight of a standard fluid

Specific Volume (v) Represents the volume per unit mass of fluid; Specific volume is the inverse of the mass density
 * more Application in gases

$$v = \frac{V}{m} \quad v = \frac{1}{\rho}$$

2 litre of petrol weighs 14N, Calculate the
 (i) Specific weight (ii) mass density (iii) specific volume and (iv) specific gravity of petrol with respect to water.

Solution: 2 litre = $2 \times 10^{-3} m^3$ (1 lit = $\frac{1}{1000} m^3$)
 (1 lit = $1000 cm^3$)

(i) Specific weight $w = \frac{14}{2 \times 10^{-3}} = 7000 N/m^3$

(ii) Mass density is related to specific volume by the relation

$$w = \frac{m \cdot g}{V} = \frac{m \cdot g}{V} = \frac{kg}{m^3} \cdot g \quad w = \rho \cdot g \quad w = \frac{m \cdot g}{V} = \frac{w}{v}$$

$$\rho = \frac{w}{g} = \frac{7000}{9.81 m/s^2} = 713.56 kg/m^3$$

(iii) Specific volume v is the inverse of mass density

$$v = \frac{1}{\rho} = \frac{1}{713.56} = 1.4 \times 10^{-3} m^3/kg$$

(iv) Specific gravity $s = \frac{\text{density of oil}}{\text{density of water}} = \frac{713.56}{1000}$

$$s = 0.7136$$