



# **SNS COLLEGE OF TECHNOLOGY**

(An Autonomous Institution)

COIMBATORE-35

Accredited by NBA-AICTE and Accredited by NAAC – UGC with A+ Grade

Approved by AICTE, New Delhi & Affiliated to Anna University, Chennai



## **23EET202 / DIGITAL ELECTRONICS AND INTEGRATED CIRCUITS**

**II YEAR / IV SEMESTER**

**UNIT-I**

**DESIGN OF COMBINATIONAL CIRCUITS**



# TOPIC OUTLINE

Combinational circuits

Design Procedure

Half Adder Design

Full Adder Design

Multiplexer Design

Examples..





# COMBINATIONAL CIRCUITS



- Adders
- Subtractors
- Multiplexers / De multiplexers
- Encoders / Decoders
- Code converters
- Magnitude comparators



# DESIGN PROCEDURE

1. Read the question carefully, find number of inputs and outputs
2. Assign literals for the inputs/outputs
3. Develop the truth table as per question
4. Using k map, minimize the boolean expression
5. Draw logic circuit as per expression



# DESIGN HALF ADDER

- **The half adder:**
  - The half adder is a circuit for adding two single bit numbers
  - Develop a truth table and Boolean expressions for the half adder

**Truth table:** S and C are the Sum and Carry

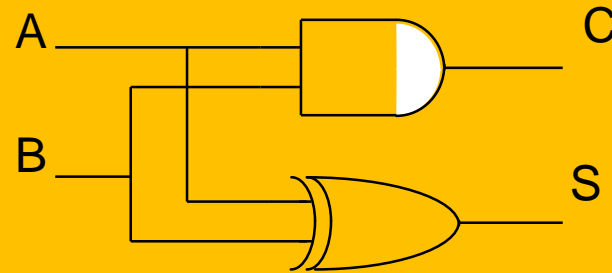
A	B	S	C
0	0		
0	1		
1	0		
1	1		



# DESIGN HALF ADDER

- The sum is XOR operation and the carry an AND:

A	B	S	C
0	0	0	0
0	1	1	0
1	0	1	0
1	1	0	1





# DESIGN OF FULL ADDER

- The full adder:
  - Develop a truth table and Boolean expressions for the full adder, this circuit also includes a carry in.

Cin	A	B	S	C
0	0	0		
0	0	1		
0	1	0		
0	1	1		
1	0	0		
1	0	1		
1	1	0		
1	1	1		





# DESIGN OF FULL ADDER

Cin	A	B	S	Cout
0	0	0	0	0
0	0	1	1	0
0	1	0	1	0
0	1	1	0	1
1	0	0	1	0
1	0	1	0	1
1	1	0	0	1
1	1	1	1	1

Truth table

Exercise:

Complete the Karnaugh maps for the Sum and the Carry out columns





# DESIGN OF FULL ADDER

**Sum** – 1 when odd number of inputs is 1 = XOR gate

AB	00	01	11	10
Cin				
0		1		1
1	1		1	

$$\text{Sum} = \text{Cin} \text{ xor } A \text{ xor } B$$

**Carry out** - simplifies to 3 pairs

AB	00	01	11	10
Cin				
0			1	
1		1	1	1

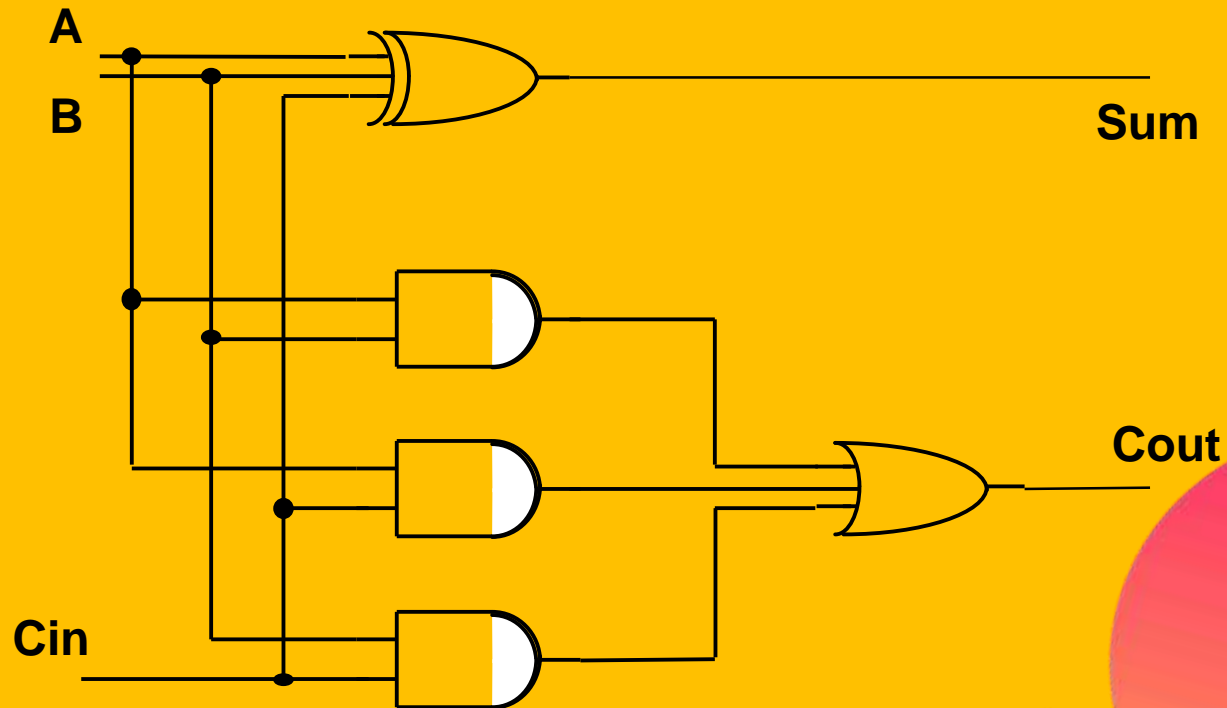
$$\text{Cout} = A.B + A.Cin + B.Cin$$

**K maps for sum and carry**



# DESIGN OF FULL ADDER

Full adder  
circuit



$$\text{Sum} = \text{Cin} \text{ xor } A \text{ xor } B$$

$$\text{Cout} = A.B + A.\text{Cin} + B.\text{Cin}$$



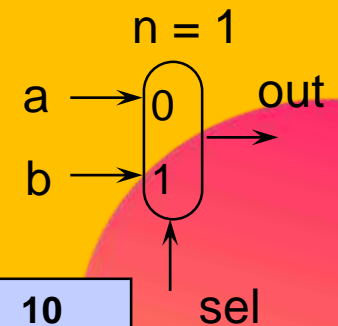
# MULTIPLEXER

- **The Multiplexer:**
  - Selects one of  $2^n$  inputs and copies it to a single output
  - The selected line is determined from the bit combination (address) on the  $n$  selection lines
  - e.g. 1 from 2 mutiplexer

sel	a	b	out
0	0	0	
0	0	1	
0	1	0	
0	1	1	
1	0	0	
1	0	1	
1	1	0	
1	1	1	

sel \ ab	00	01	11	10
0				
1				

out =





# MULTIPLEXER

## 2:1 Multiplexer

sel	a	b	out
0	0	0	0
0	0	1	0
0	1	0	1
0	1	1	1
1	0	0	0
1	0	1	1
1	1	0	0
1	1	1	1



sel	a	b	out
0	0	?	0
0	1	?	1
1	?	0	0
1	?	1	1

if a is selected, don't care about b.

	AB			
sel	00	01	11	10
0			1	1
1		1	1	



# MULTIPLEXER

AB				
sel	00	01	11	10
0			1	1
1		1	1	

$$\text{output} = \text{sel}.a + \text{sel}.b$$

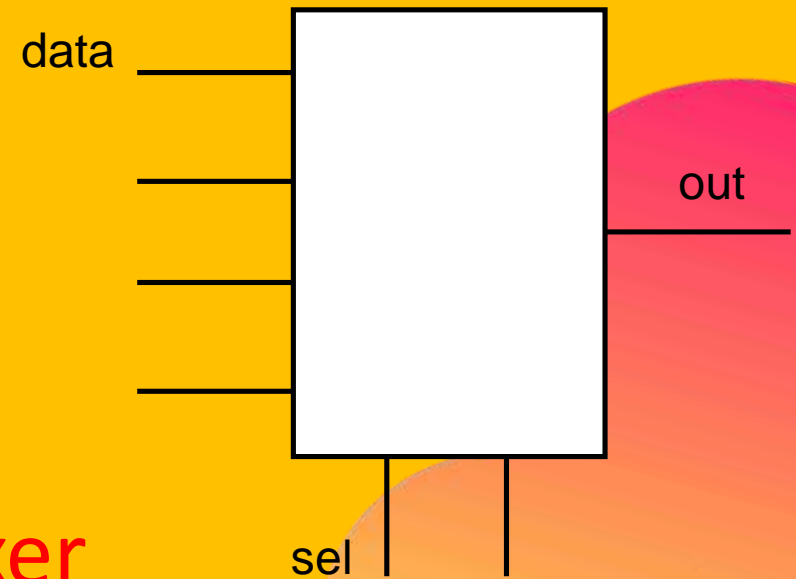
Principal can be extended to

4:1 – 2 select lines and 4 data lines

8:1 – 3 select lines and 8 data lines

and so on...

## K map for 2:1 Multiplexer





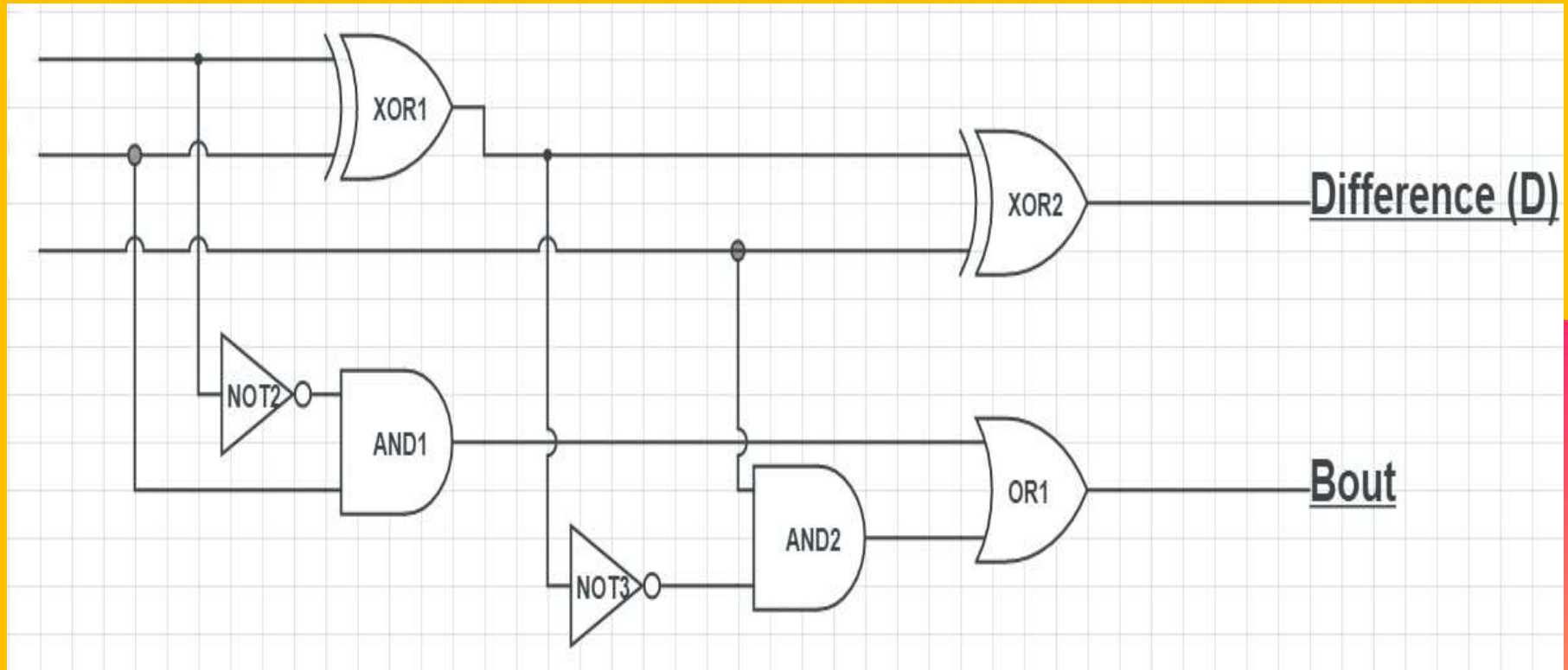
# DESIGN - PROBLEMS

Half Subtractor-Truth Table			
Input		Output	
A	B	Difference	Borrow
0	0	0	0
0	1	1	1
1	0	1	0
1	1	0	0

Full Subtractor-Truth Table				
Input			Output	
A	B	C	Difference	Borrow
0	0	0	0	0
0	0	1	1	1
0	1	0	1	1
0	1	1	0	1
1	0	0	1	0
1	0	1	0	0
1	1	0	0	0
1	1	1	1	1



# DESIGN - PROBLEMS





# SUMMARIZE

More Design  
Examples..  
...code converters (4)



# THANK YOU