



SNS COLLEGE OF TECHNOLOGY

(An Autonomous Institution)

COIMBATORE-35

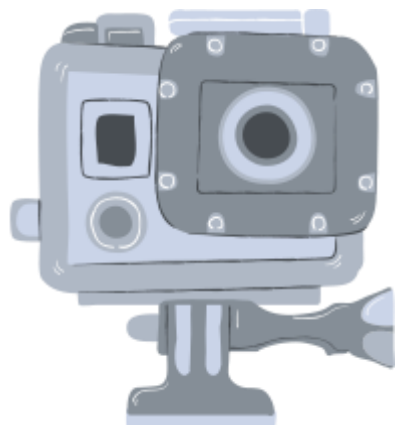
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DEPARTMENT OF ELECTRICAL & ELECTRONICS ENGINEERING

UNIT 2

Network Modelling

19EET302 – Power System 1
III year / V Semester





INTRODUCTION

Bus Frame Analysis

FORMATION OF Y BUS AND Z BUS

1. Rule of Inspection
2. Singular Transformation
3. Non-Singular Transformation
4. ZBUS Building Algorithms, etc



Frames of Reference



Bus Frame of Reference: There are b independent equations ($b = \text{no. of buses}$) relating the bus vectors of currents and voltages through the bus impedance matrix and bus admittance matrix:

$$V_{BUS} = Z_{BUS} I_{BUS}$$

$$I_{BUS} = Y_{BUS} V_{BUS}$$

Branch Frame of Reference: There are b independent equations ($b = \text{no. of branches of a selected Tree sub-graph of the system Graph}$)

$$V_{BR} = Z_{BR} I_{BR}$$

$$I_{BR} = Y_{BR} V_{BR}$$

Loop Frame of Reference: There are b independent equations ($b = \text{no. of branches of a selected Tree sub-graph of the system Graph}$)

$$V_{LOOP} = Z_{LOOP} I_{LOOP}$$

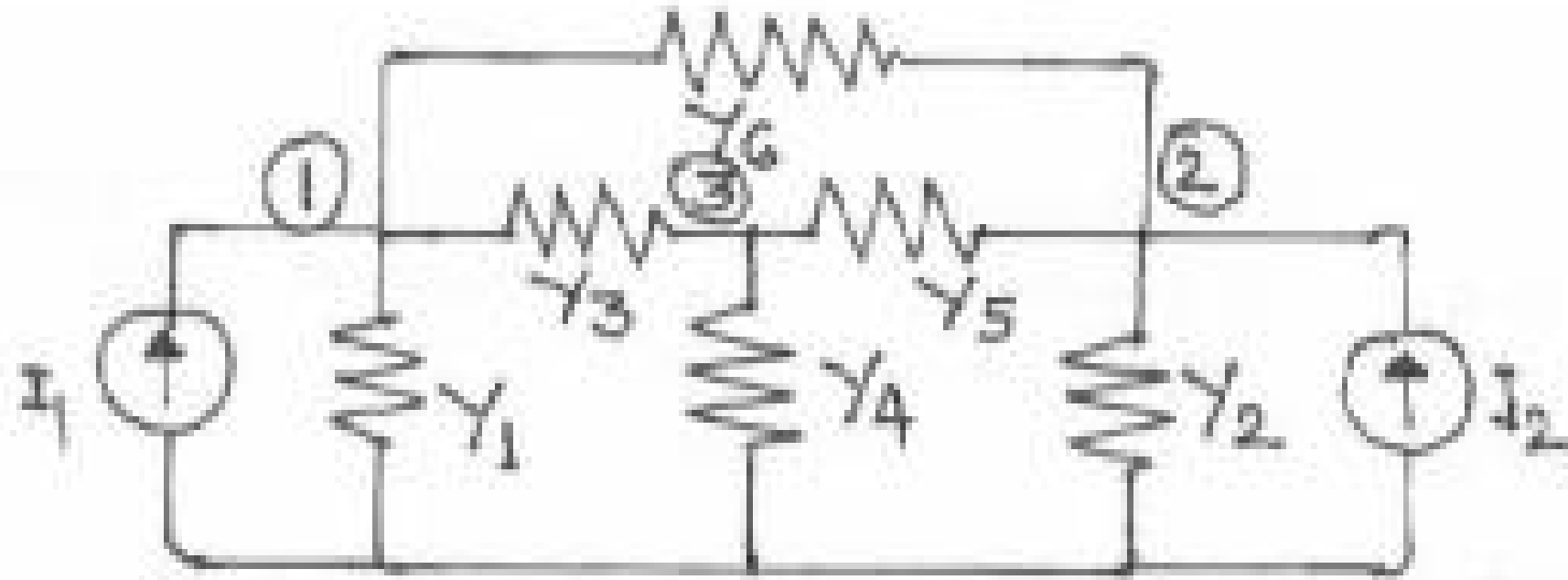
$$I_{LOOP} = Y_{LOOP} V_{LOOP}$$

Of the various network matrices referred above, the bus admittance matrix (Y_{BUS}) and the bus impedance matrix (Z_{BUS}) are determined for a given power system



Rule of Inspection -Inspection Method

Consider the 3-node admittance network as shown in figure 5. Using the basic branch relation: $I = (YV)$, for all the elemental currents and applying Kirchhoff's Current Law principle at the nodal points, we get the relations as under:



$$\text{At node 1: } I_1 = Y_1 V_1 + Y_3 (V_1 - V_3) + Y_6 (V_1 - V_2)$$

$$\text{At node 2: } I_2 = Y_2 V_2 + Y_5 (V_2 - V_3) + Y_6 (V_2 - V_1)$$

$$\text{At node 3: } 0 = Y_3 (V_3 - V_1) + Y_4 V_3 + Y_5 (V_3 - V_2)$$



Inspection Method



$$\begin{bmatrix} I_1 \\ I_2 \\ 0 \end{bmatrix} = \begin{bmatrix} (Y_1+Y_3+Y_6) & -Y_6 & -Y_3 \\ -Y_6 & (Y_2+Y_5+Y_6) & -Y_5 \\ -Y_3 & -Y_5 & (Y_3+Y_4+Y_5) \end{bmatrix} \begin{bmatrix} V_1 \\ V_2 \\ V_3 \end{bmatrix}$$

$$IBUS = YBUS VBUS$$

Where, YBUS is the bus admittance matrix, IBUS & VBUS are the bus current and bus voltage vectors respectively.

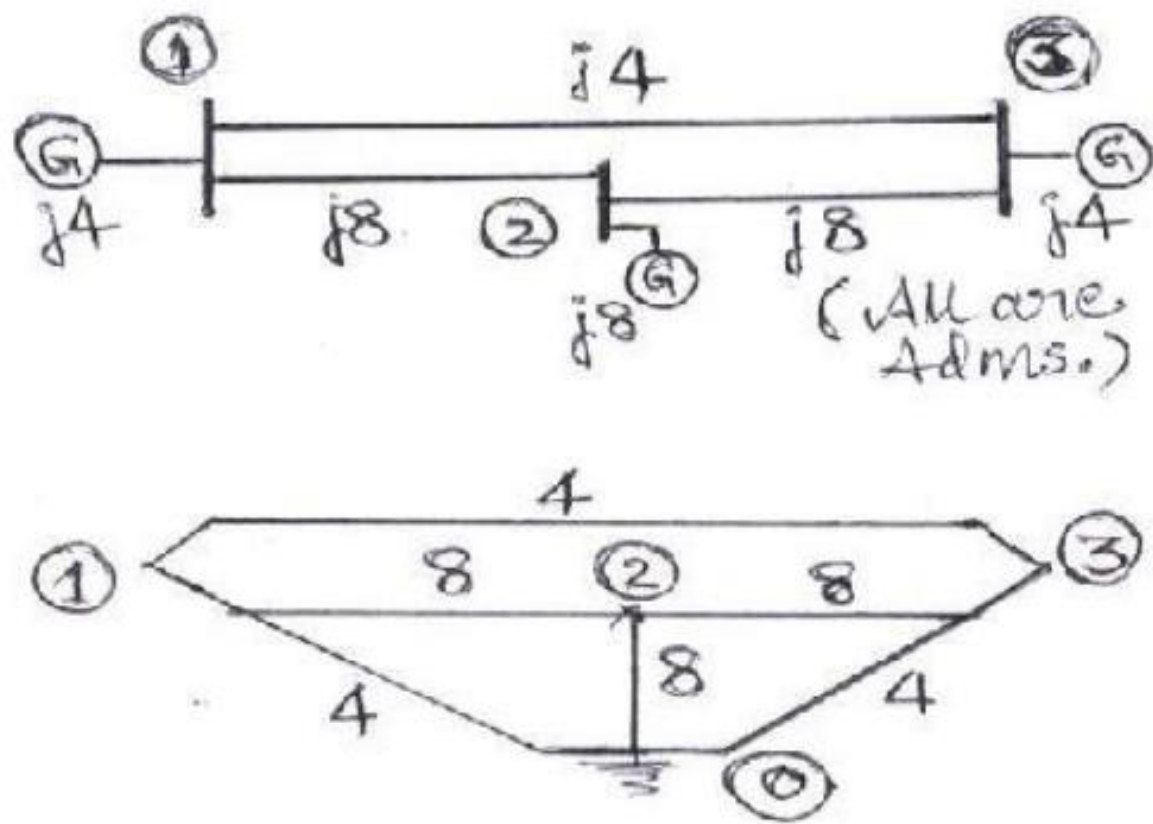
Diagonal elements: A diagonal element (Y_{ii}) of the bus admittance matrix, YBUS, is equal to the sum total of the admittance values of all the elements incident at the bus/node i ,

Off Diagonal elements: An off-diagonal element (Y_{ij}) of the bus admittance matrix, YBUS, is equal to the negative of the admittance value of the connecting element present between the buses i and j , if any.



Problem 1

- Obtain the bus admittance matrix for the admittance network shown aside by the rule of inspection



$$Y_{BUS} = \begin{vmatrix} 16 & -8 & -4 \\ -8 & 24 & -8 \\ -4 & -8 & 16 \end{vmatrix}$$



Summary



Activity



**KEEP
LEARNING..
Thank u**

SEE YOU IN NEXT CLASS